

















































|   | Ove                     | rhe                  | ad 2  |  |
|---|-------------------------|----------------------|---|--|
| scheme  | msg ×<br>round (r)      | msg<br>tot           | Queue   | msg rec  |
| Move-Once                                     | п                       | $v \cdot n$          | $Pr[\exists s_i \text{ s.t. } L_i^r \ge r + \sqrt{nr}] \le e^{-r/2 + \ln n}$  | $O(\ln n)$   |
| Keep-Moving                                   | r·n                     | $(r^2/2)n$           | $Pr[\exists s_i \text{ s.t. } L_i^r \ge 2er] \le 2^{-r+\ln n}$  | $Pr[\exists s_i \text{ s.t. } M_i^r \ge 2er] \le 2^{-r + \ln n}$ |
| o L <sup>i</sup> <sub>r</sub> = #<br>o From t | msg sto<br>he metho     | red on s<br>od of bo | ges do not exceeds a given v<br>$s_i$ at round $r \rightarrow E[L_i^r] = r$<br>bunded differences, given $\ell$                 | $> r + \sqrt{rn}$  |
|   |                         |                      | $L_n^r \ge \ell] \le nPr[L_1^r \ge \ell] \le e^{-r/2}$<br>endent $\longrightarrow$ Chernoff bound                               |  |
| o Variab                                      | les L <sup>i</sup> , ai | re indep             | $L_n \ge \ell ] \le nPr[L_1 \ge \ell ] \le e^{-r/2}$<br>rendent $\longrightarrow$ Chernoff bound<br>y s <sub>i</sub> at round r |  |



















